

# Water supply & sewerage

Lect.#3

# Variation in Rate of Water Consumption

Goodrich formula to estimate the maximum rates

$$p = 180 * t^{-1}$$

Where:

p:percentage of the annual average rate

t: length of the period in days (from 1/12 to 360days)

# Variation in Rate of Water Consumption

If we apply the Goodrich formula

When :

$$t=1\text{days} \quad \rightarrow \quad p=180\%=1.8$$

$$t=7\text{days} \quad \rightarrow p=148\%=1.48$$

$$t=30\text{days} \quad \rightarrow p=128\%=1.28$$

$$t=1\text{hr} \quad \rightarrow p=1.8*1.5=2.7$$

Note: For the maximum hourly rate use 150% from the average of that day

# Variation in Rate of Water Consumption

$$Q_{\text{av.annual}} = 200 \text{ lit/day}$$

$$Q_{\text{max daily}} = 200 * 1.8 = 360 \text{ lit/day}$$

$$Q_{\text{max hourly}} = 200 * 1.8 * 1.5 = 540 \text{ lit/day}$$

# Example:

Ultimate population density 15,000 capita/km<sup>2</sup>.

Area=120,000 m<sup>2</sup>

The average consumption flow=600 lit/capita/day

Required:

Estimate the maximum daily flow rate to be supplied to that area in m<sup>3</sup>/day.( neglect fire demand)

Solution:

Population=15000capita/km<sup>2</sup> \* 120000m<sup>2</sup>\* (1km<sup>2</sup>/10<sup>6</sup>)=1800capita

$$Q_{\text{av.anu.}} = 600 \text{ lit/capita/day} * 1800 * \text{capita} * 1\text{m}^3/1000 \text{ lit} \\ = 1080 \text{ m}^3/\text{day}$$

$$Q_{\text{max hourly}} = 1.8 * 1080 = 1944 \text{ m}^3/\text{day}$$

Example 2: A city having population of 60000, average daily demand 325Lpcd, required:

1. Average daily demand as  $m^3/day$
2. Max. daily demand as  $m^3/day$
3. Min. daily demand as  $m^3/day$
4. Max. daily demand per person as Lpcd
5. Min. daily demand per person as Lpcd
6. Capacity of water treatment plant(quantity treated water as  $m^3/day$ )
7. The required flow for designing water distribution net pipes as  $m^3/sec$
8. Water demand per year.

Solution:

1.  $Q_{av.} = 60000 * 325 = 195 * 10^5 \text{ lit/day} = 195 * 10^2 \text{ m}^3/\text{d}$

2.  $Q_{max} = 200\% * 195 * 10^2 = 39000 \text{ m}^3/\text{day}$

3.  $Q_{min} = 50\% * 195 * 10^2 = 9750 \text{ m}^3/\text{day}$

4.  $\text{Max. Q.} = (39000 * 1000) / 60000 = 650 \text{ lit/capita/day}$

5.  $\text{Min. Q.} = (9750 * 1000) / 60000 = 162.5 \text{ lit/capita/day}$

6.  $\text{Flow} = Q_{max}$

7. Assume middle city

$$Q_{design} = 325 * 2.5 = 812.2 \text{ Lpcd}$$

$$= (812.5 / 1000) * 60000 = 48750 \text{ Lpcd}$$

$$= 13.54 \text{ m}^3/\text{sec}$$

8.  $Q_{av} = 195 * 10^2 \text{ m}^3/\text{day} * 365 = 7117500 \text{ m}^3/\text{year}$